

The Relationship Between Partial DNAPL Source Zone Remediation and Groundwater Plume Attenuation

Ron Falta, Suresh Rao, and
Nandita Basu

Clemson University and Purdue University



Basic Premise:

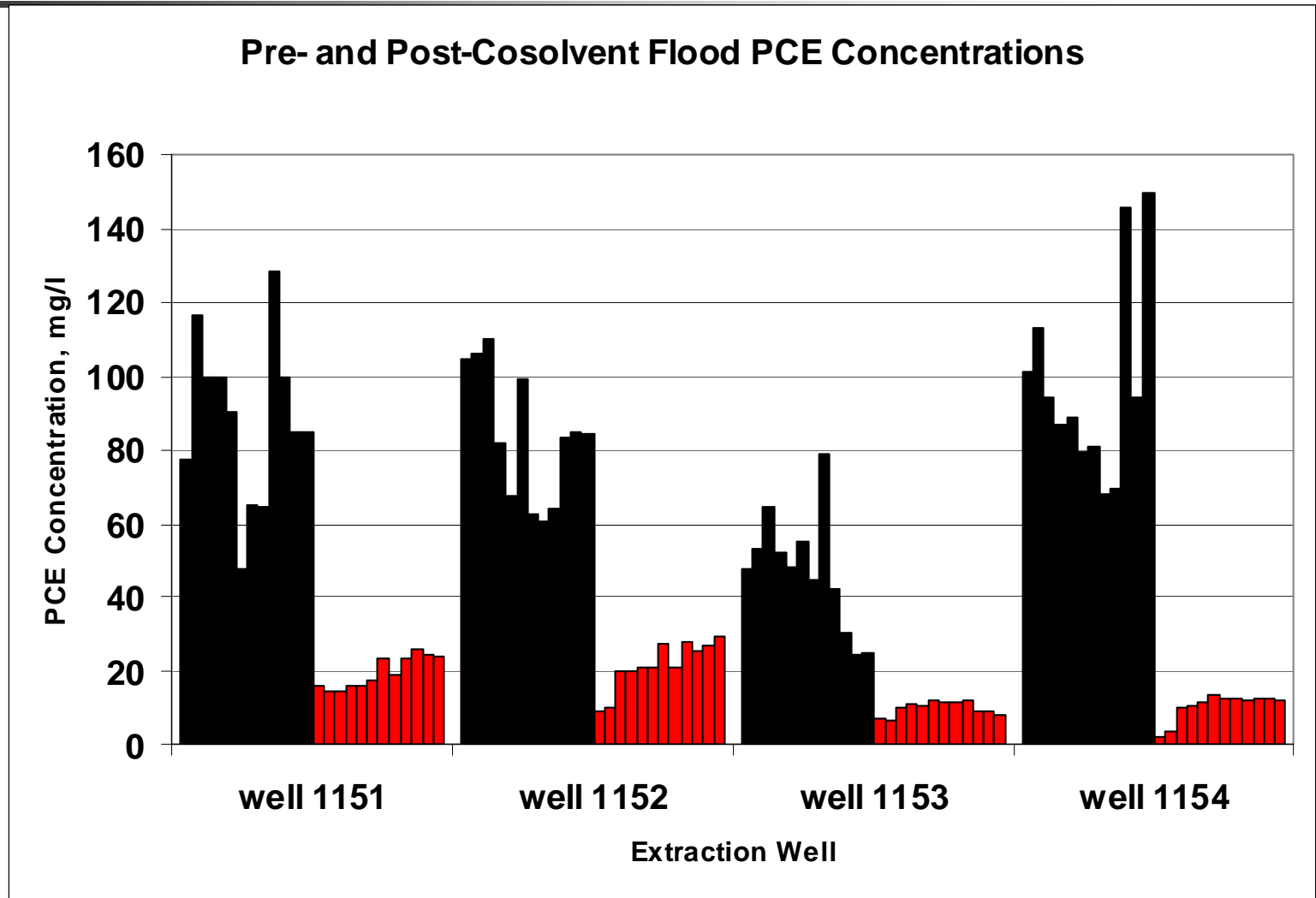
- We cannot “restore” a DNAPL source zone, but we can remove much of the DNAPL mass (~60% to >90%)
- Removing DNAPL mass will reduce the contaminant discharge or flux to groundwater
- This can result in reduced plume size, mass, longevity, and health risk
- Overall project involves field, laboratory, and modeling studies
- My talk focuses on plume behavior using simplified analytical modeling approaches

Example of Source Remediation: SERDP/EPA/Clemson Field Test of DNAPL Removal by Alcohol Flooding, Dover AFB

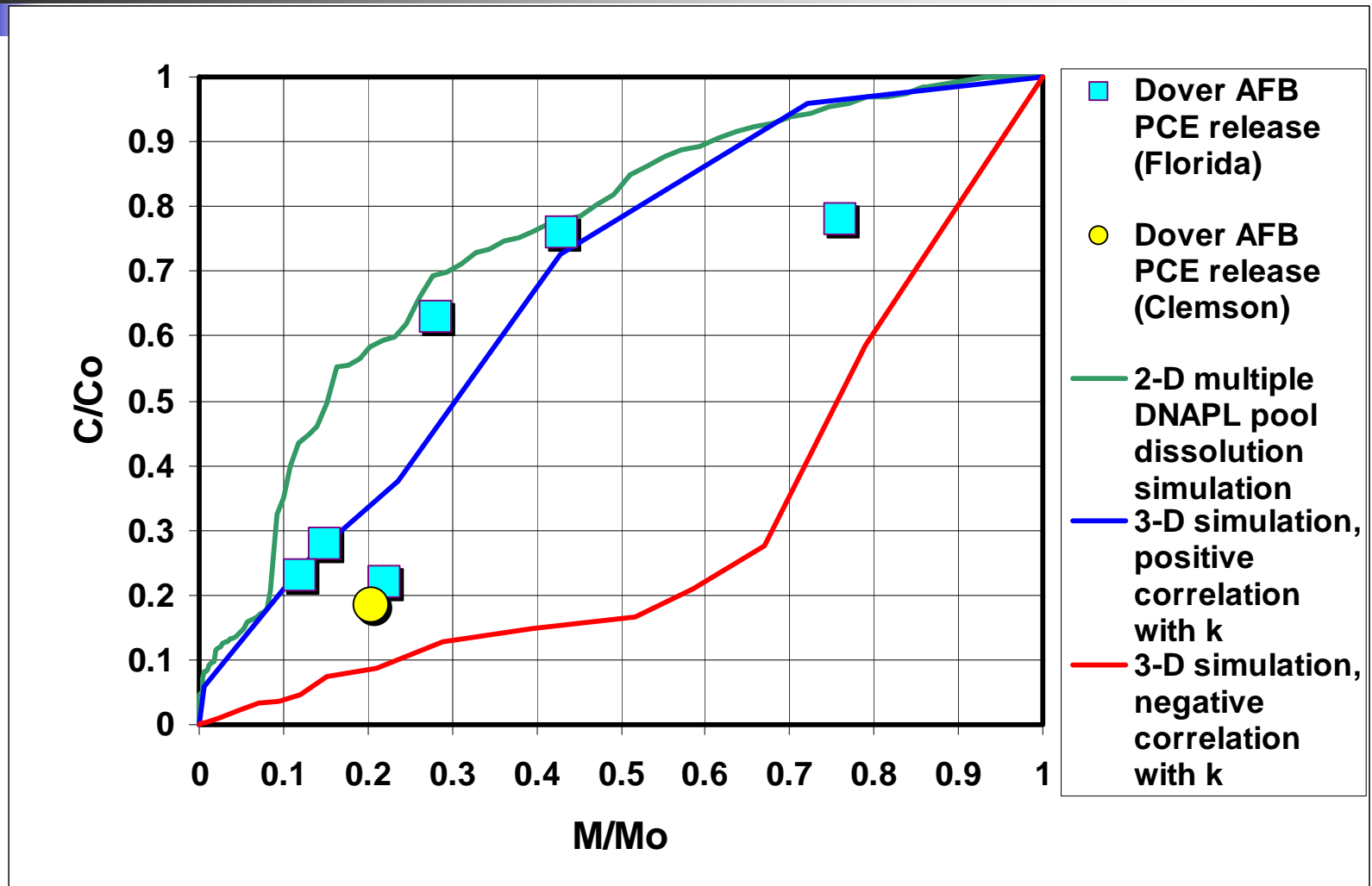
EPA released 92 kg of pure PCE into the test cell at a depth of 35' below the ground surface. A total of 73.5 kg was removed during a 40 day alcohol flood



80% source removal resulted in 81% reduction in groundwater concentration

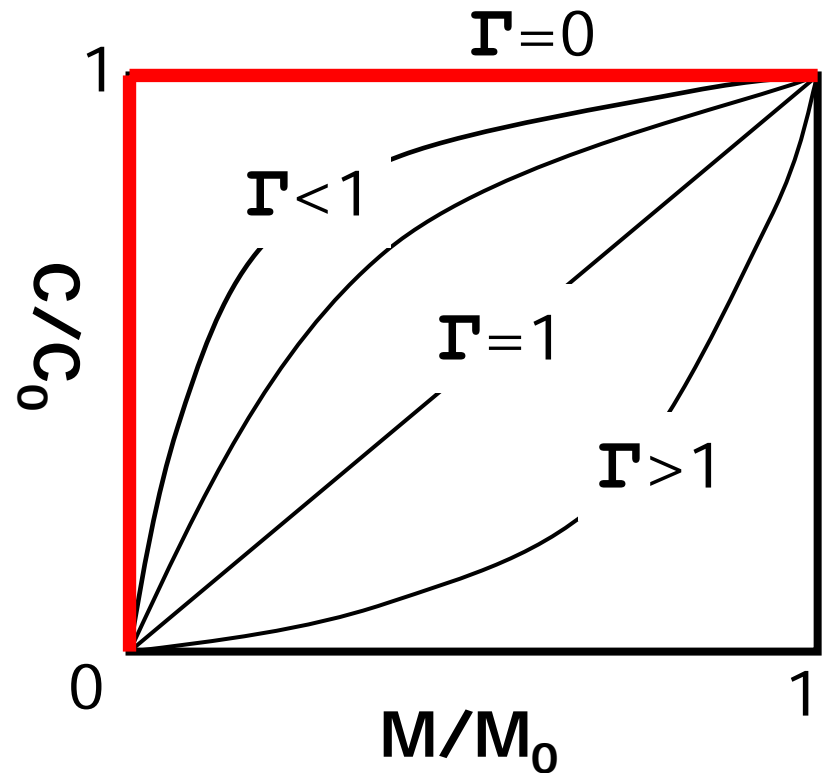


Relationship between source mass and discharge (flow averaged concentration)

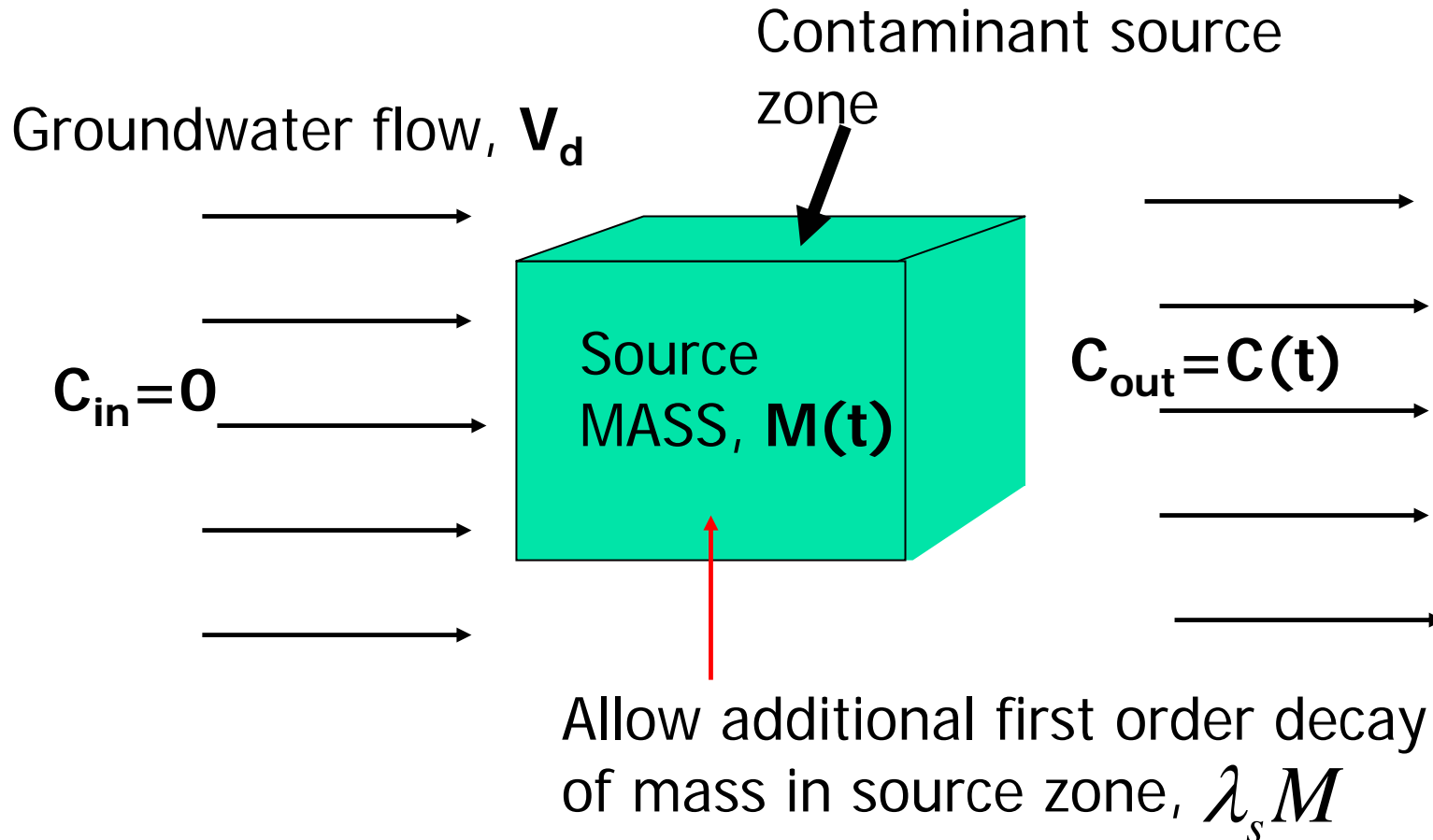


DNAPL Source Model: Approximate these curves as a power function [Rao et al., 2001; Parker and Park, 2004; Zhu and Sykes, 2004]

$$\frac{C}{C_0} = \left(\frac{M}{M_0} \right)^\Gamma$$



Source zone conceptual model: Mass is mainly removed from source zone by flushing, with some additional source decay





Source Zone Solutions

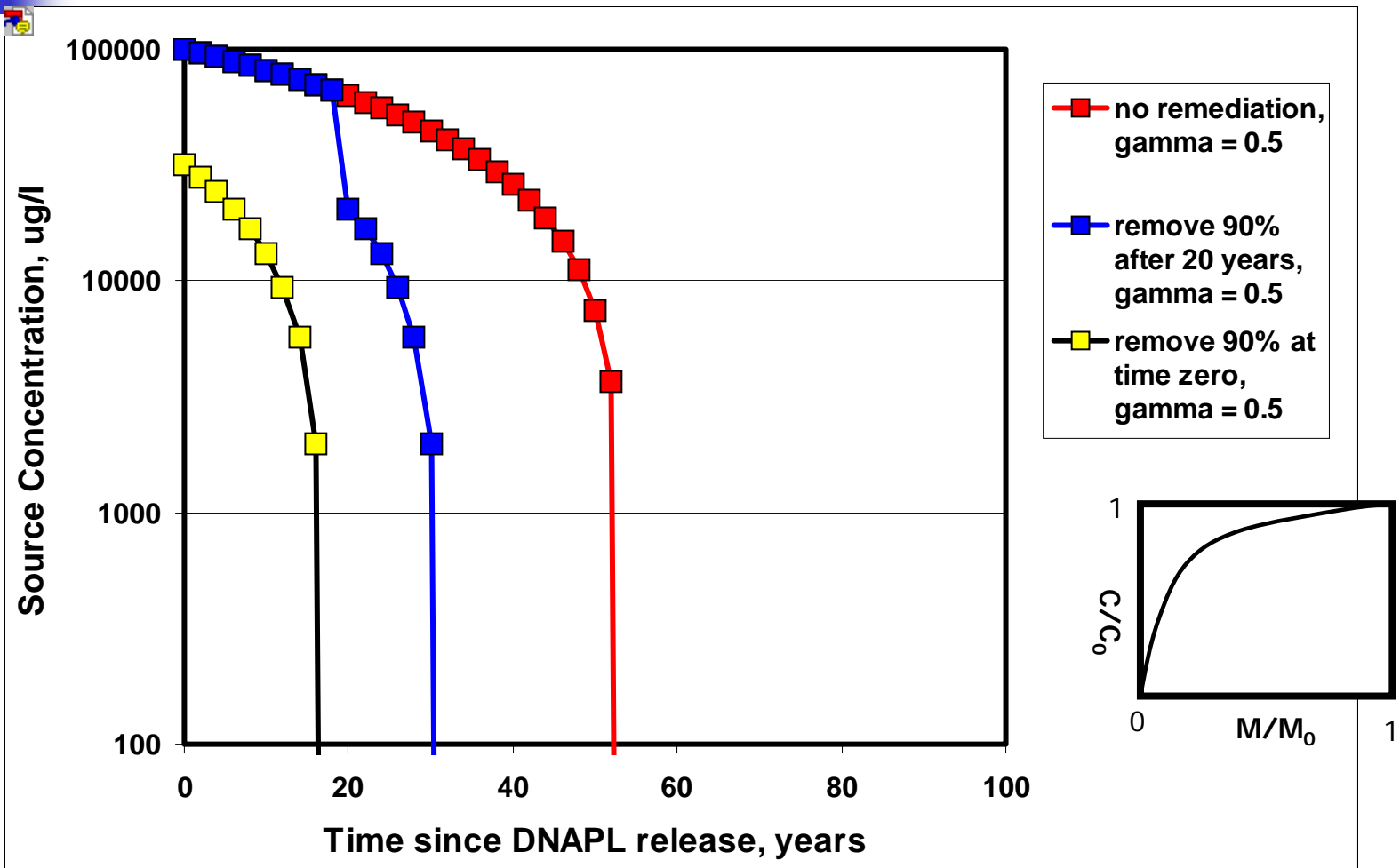
General Solution

$$M(t) = \left\{ -\frac{V_d AC_0}{\lambda_s M_0^\Gamma} + \left(M_0^{1-\Gamma} + \frac{V_d AC_0}{\lambda_s M_0^\Gamma} \right) e^{(\Gamma-1)\lambda_s t} \right\}^{\frac{1}{1-\Gamma}}$$

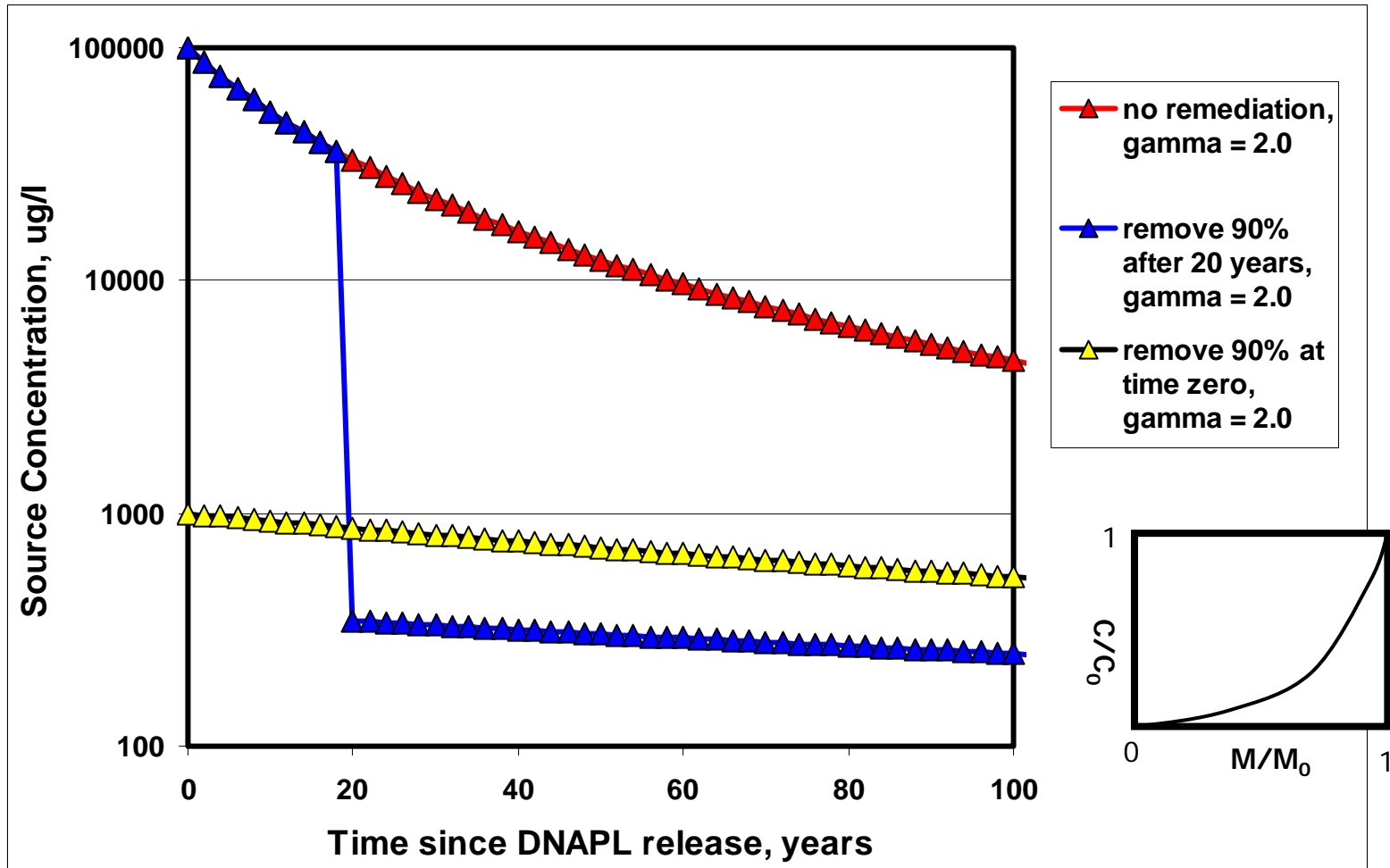
For partial DNAPL remediation of "**X**" of the source mass,

$$M(t) = \left\{ \frac{-V_d AC_0 (1-X)^\Gamma}{\lambda_s [(1-X)M_0]^\Gamma} + \left([(1-X)M_0]^{1-\Gamma} + \frac{V_d AC_0 (1-X)^\Gamma}{\lambda_s [(1-X)M_0]^\Gamma} \right) \exp[(\Gamma-1)\lambda_s t] \right\}^{\frac{1}{1-\Gamma}}$$

Source Behavior: $\Gamma=0.5$, $M_0= 1620$ kg, $V=20$ m/yr, $A=10\text{m} \times 3\text{m}$, $C_0=100$ mg/l



Source Behavior: $\Gamma = 2.0$, $M_0 = 1620$ kg, $V = 20$ m/yr, $A = 10\text{m} \times 3\text{m}$, $C_0 = 100$ mg/l



Modified Domenico/Sun et al. (Biochlor/Bioscreen) transport solution with the new source function

Use the new source function as the boundary condition
In a 3-D advection dispersion differential equation:

$$R \frac{\partial C}{\partial t} = -v \frac{\partial C}{\partial x} + \alpha_x v \frac{\partial^2 C}{\partial x^2} + \alpha_y v \frac{\partial^2 C}{\partial y^2} + \alpha_z v \frac{\partial^2 C}{\partial z^2} - \lambda_p C$$

Use a flux-based, mixed boundary condition at $x=0$:

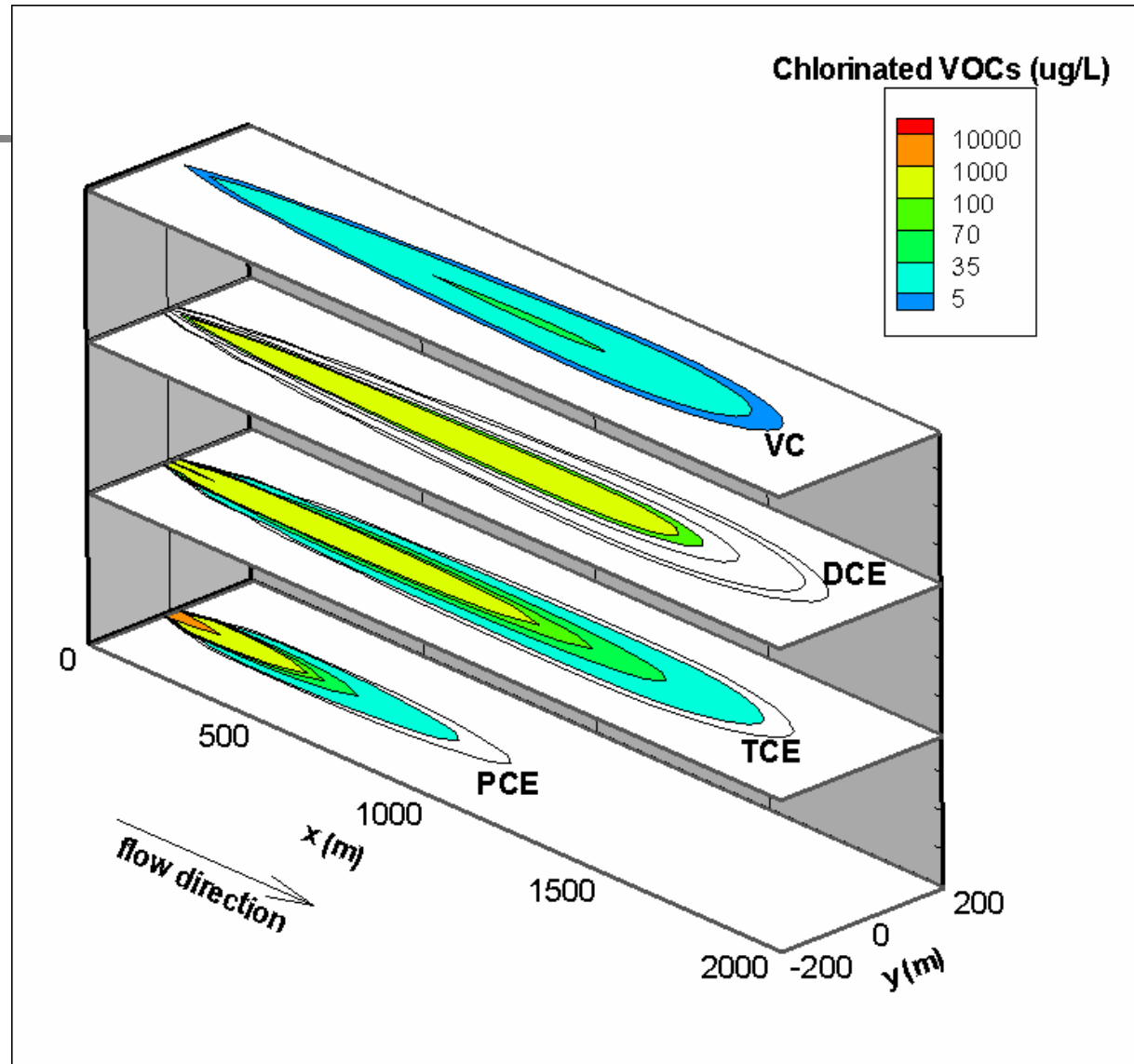
$$\text{mass flux} = V_d C_s(t) = \left[V_d C - \phi \alpha_x v \frac{\partial C}{\partial x} \right]_{x=0}$$

Where (for remediation at $t=0$; delayed case is similar)

$$C_s(t) = \frac{(C_0(1-X)^\Gamma)}{[(1-X)M_0]^\Gamma} \left\{ \frac{-V_d A C_0(1-X)^\Gamma}{\lambda_s [(1-X)M_0]^\Gamma} + \left([(1-X)M_0]^{1-\Gamma} + \frac{V_d A C_0(1-X)^\Gamma}{\lambda_s [(1-X)M_0]^\Gamma} \right) \exp[(\Gamma-1)\lambda_s t] \right\}^{\frac{\Gamma}{1-\Gamma}}$$

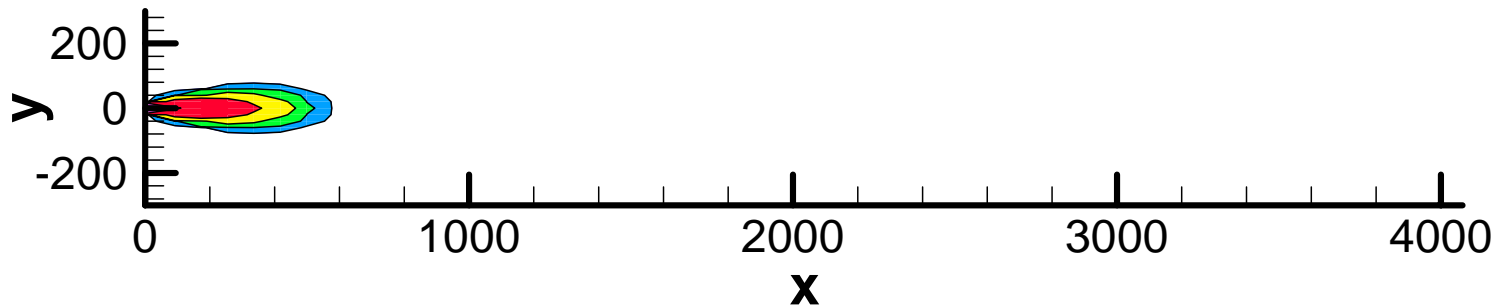
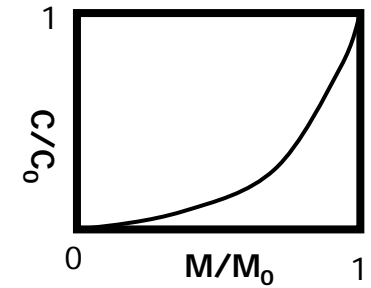
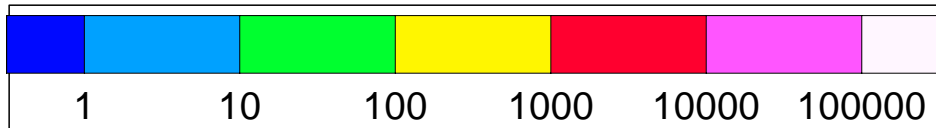
Example model results: $\Gamma=1$, no remediation, plume after 50 years. Contours above MCLs are colored

- Source zone
10m x 10m x 3m, darcy velocity = 20 m/yr;
 $S_n = .01$; 1620 kg DNAPL
- $C_0 = 100$ mg/l leaving source zone, initial discharge = 60kg/yr
- Pore velocity = 60 m/yr, $R=2$, dissolved (plume) rate constants
 $\lambda_{pce} = 0.4/\text{yr}$, $\lambda_{tce} = 0.15$,
 $\lambda_{dce} = 0.1$, $\lambda_{vc} = 0.2$
- Longitudinal dispersivity = 10m,
transverse dispersivity = 0.5m,
vertical dispersivity = 0.1



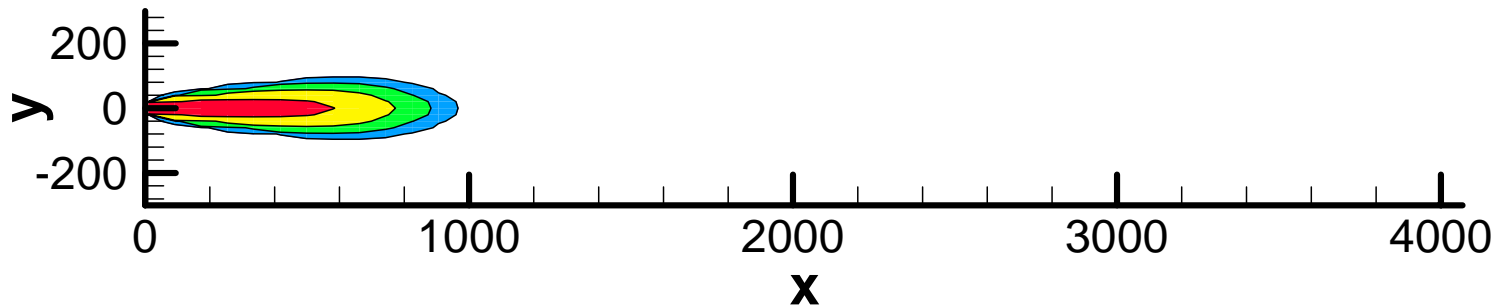
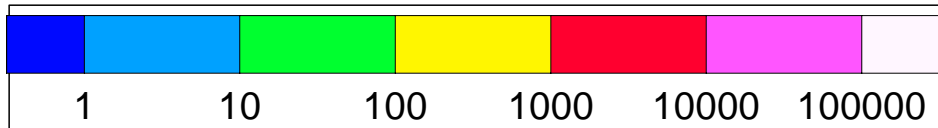
Example: $\Gamma=2$, remove 90% of source after 20 years

Total Chlorinated VOCs, ug/l



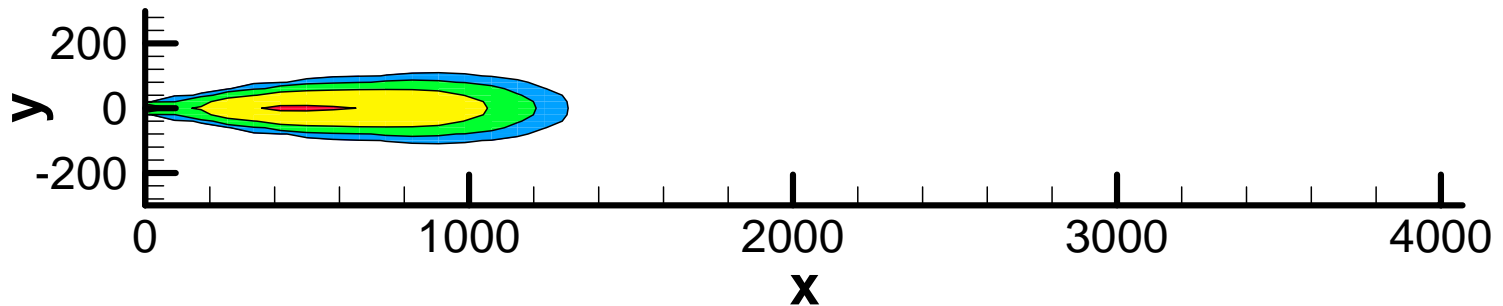
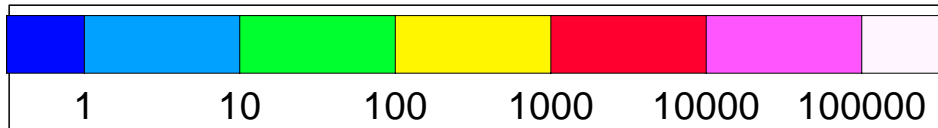
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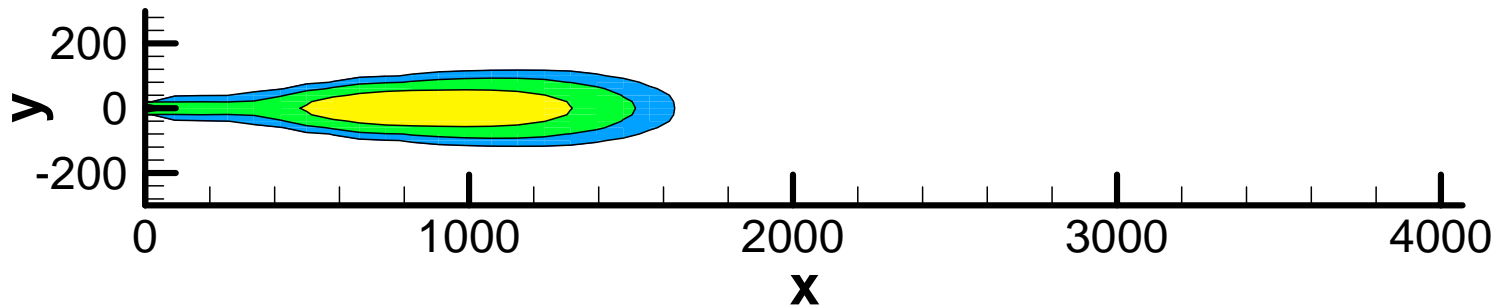
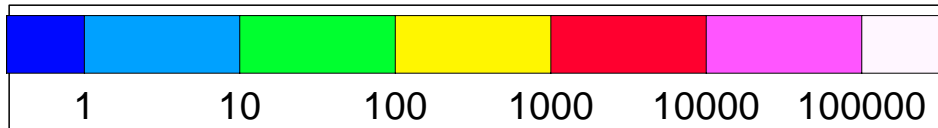
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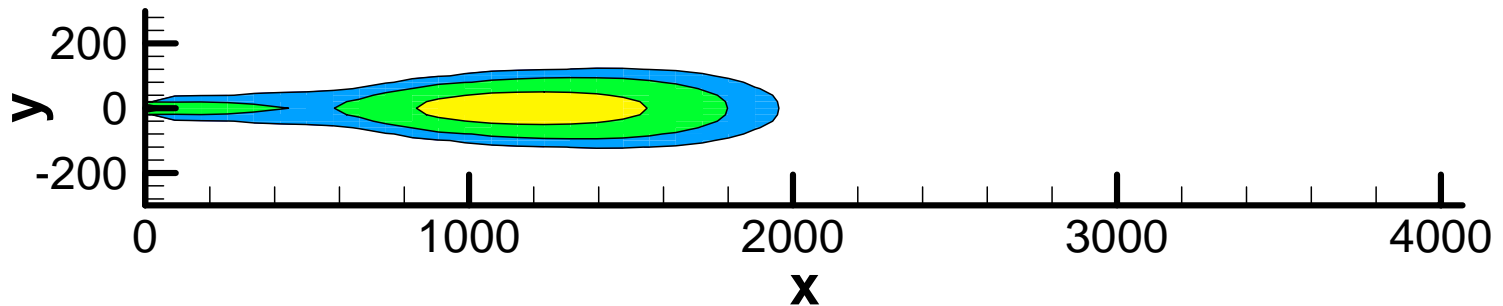
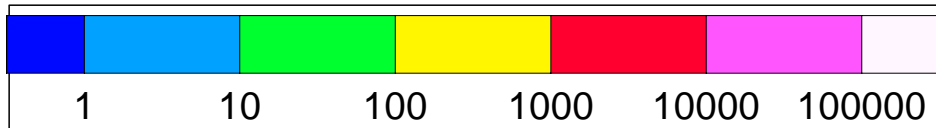
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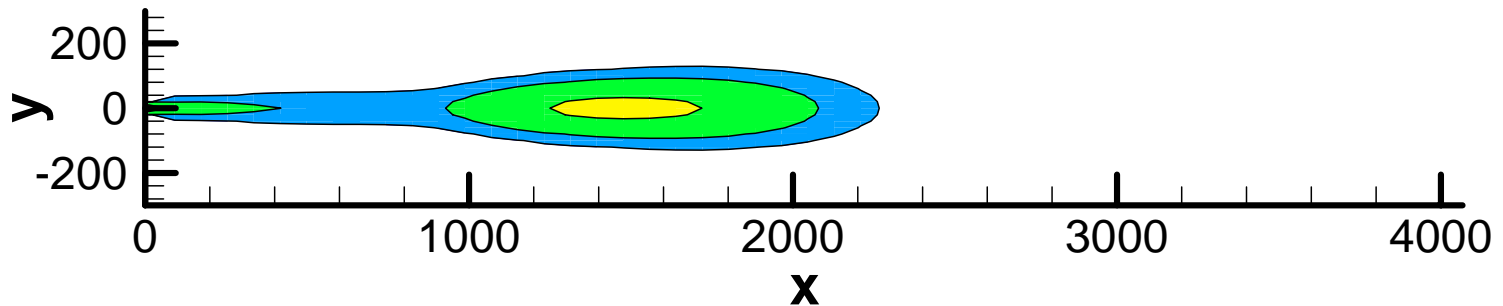
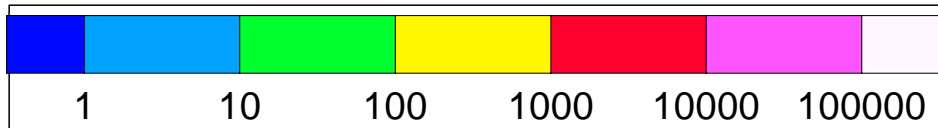
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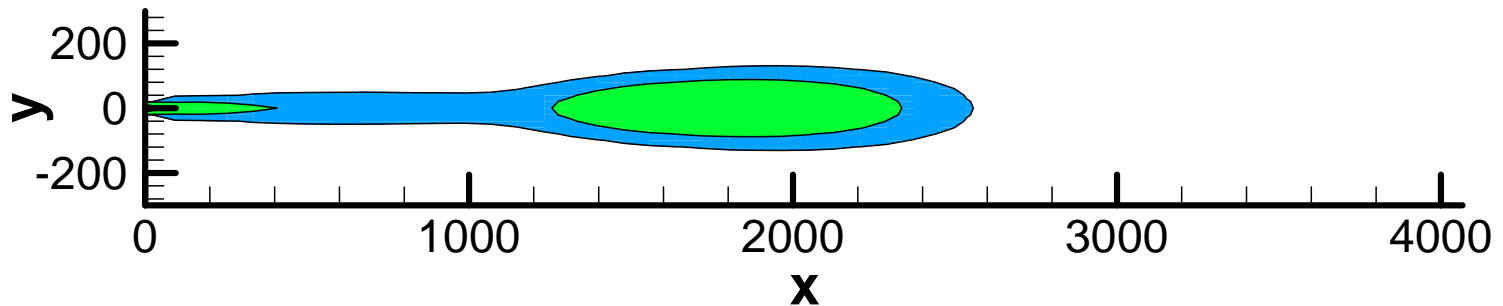
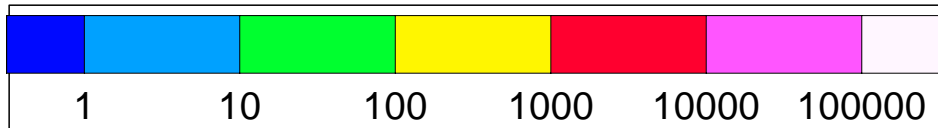
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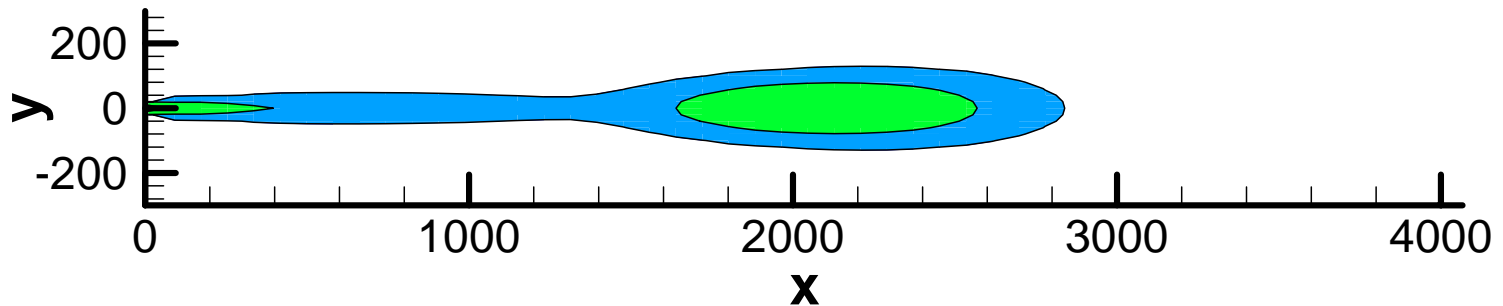
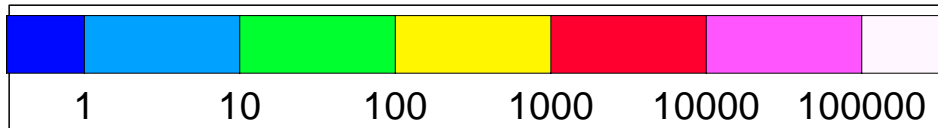
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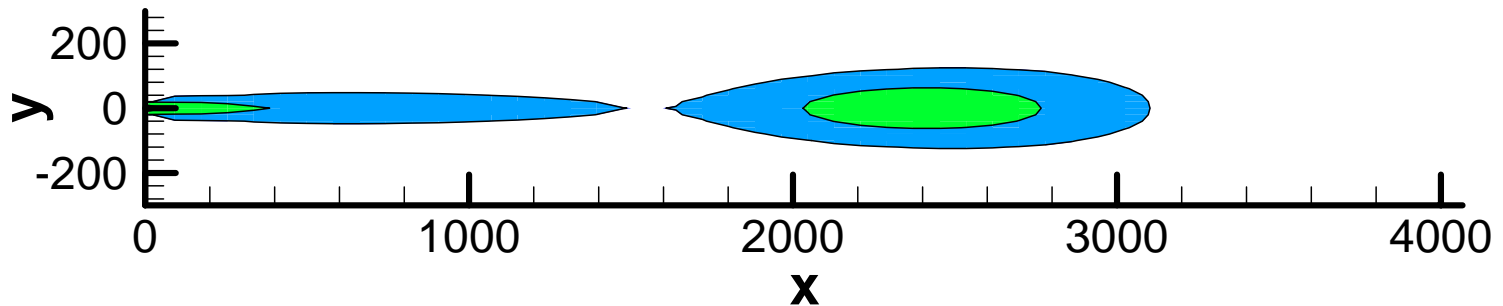
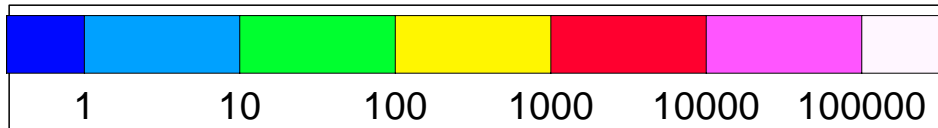
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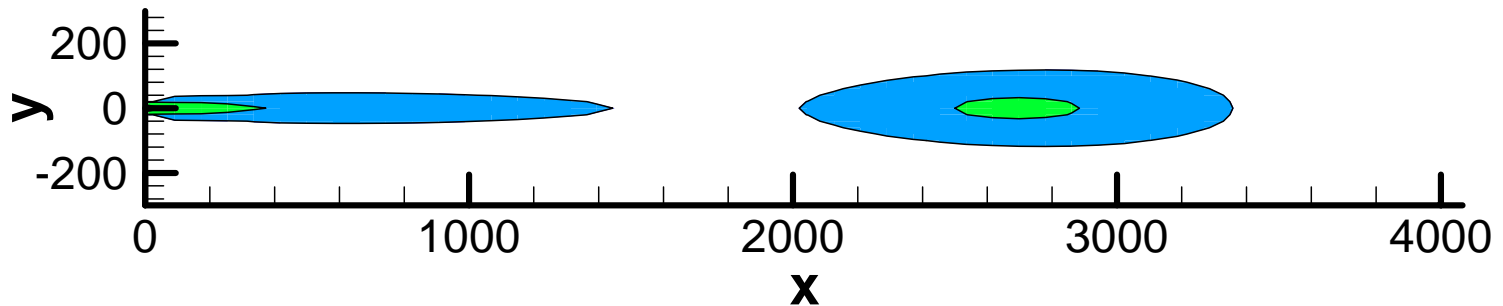
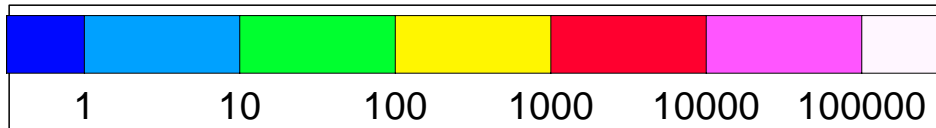
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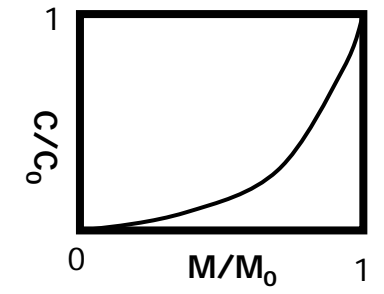
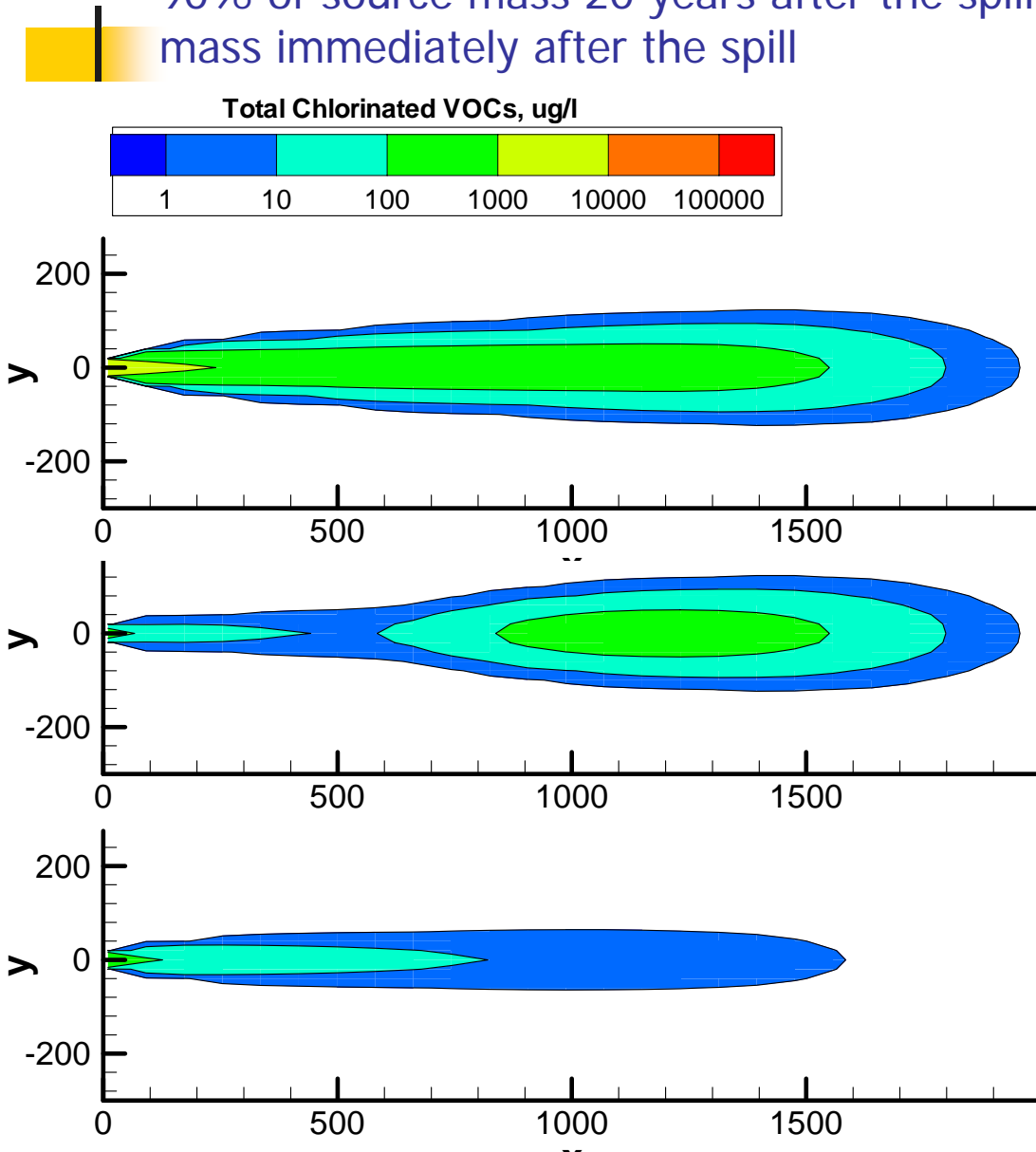


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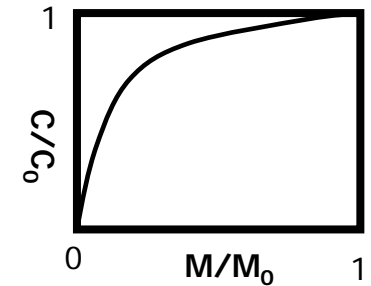
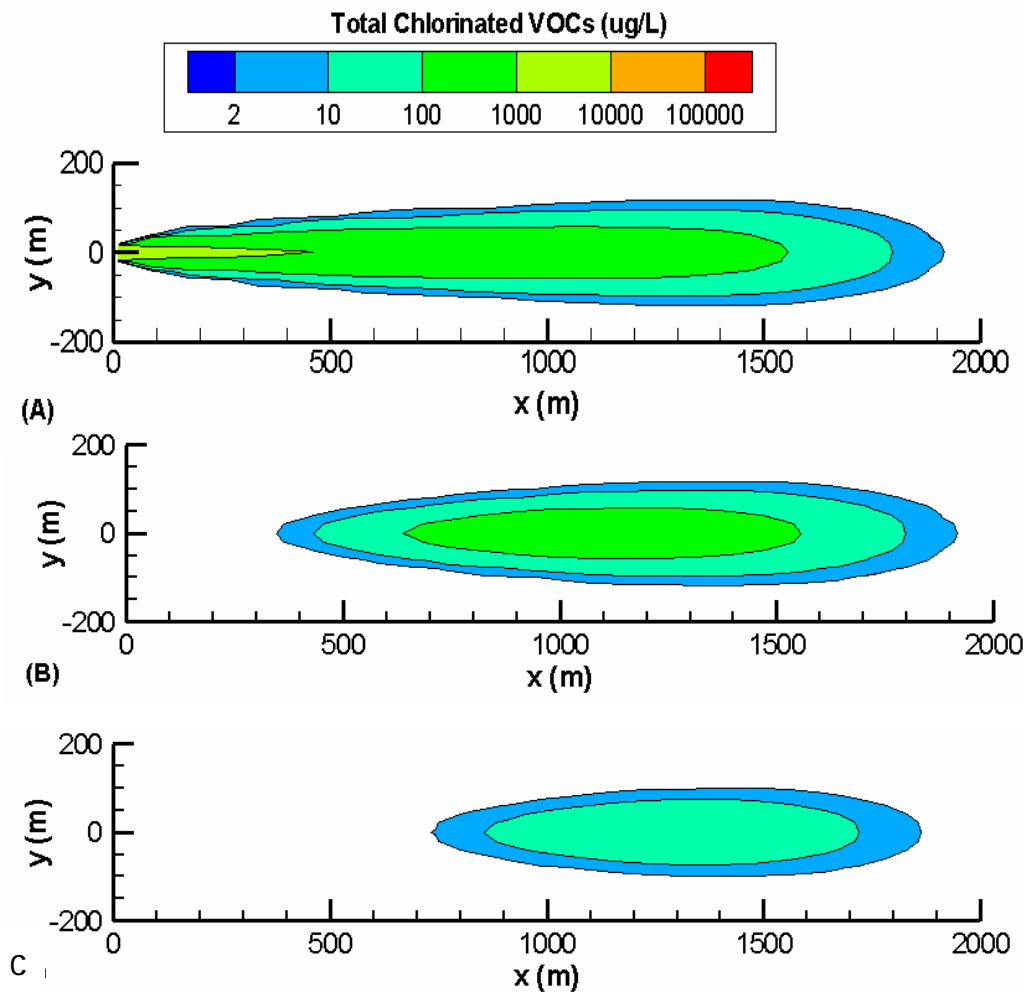
Total Chlorinated VOCs, ug/l



Dissolved plume concentrations of total chlorinated VOCs 50 years after DNAPL release for $\Gamma=2.0$. (A) No source remediation; (B) Removal of 90% of source mass 20 years after the spill; (C) Removal of 90% of source mass immediately after the spill



Dissolved plume concentrations of total chlorinated VOCs 50 years after DNAPL release for $\Gamma=0.5$. (A) No source remediation; (B) Removal of 90% of source mass 20 years after the spill; (C) Removal of 90% of source mass immediately after the spill





Cancer risk from drinking water at a given location over time

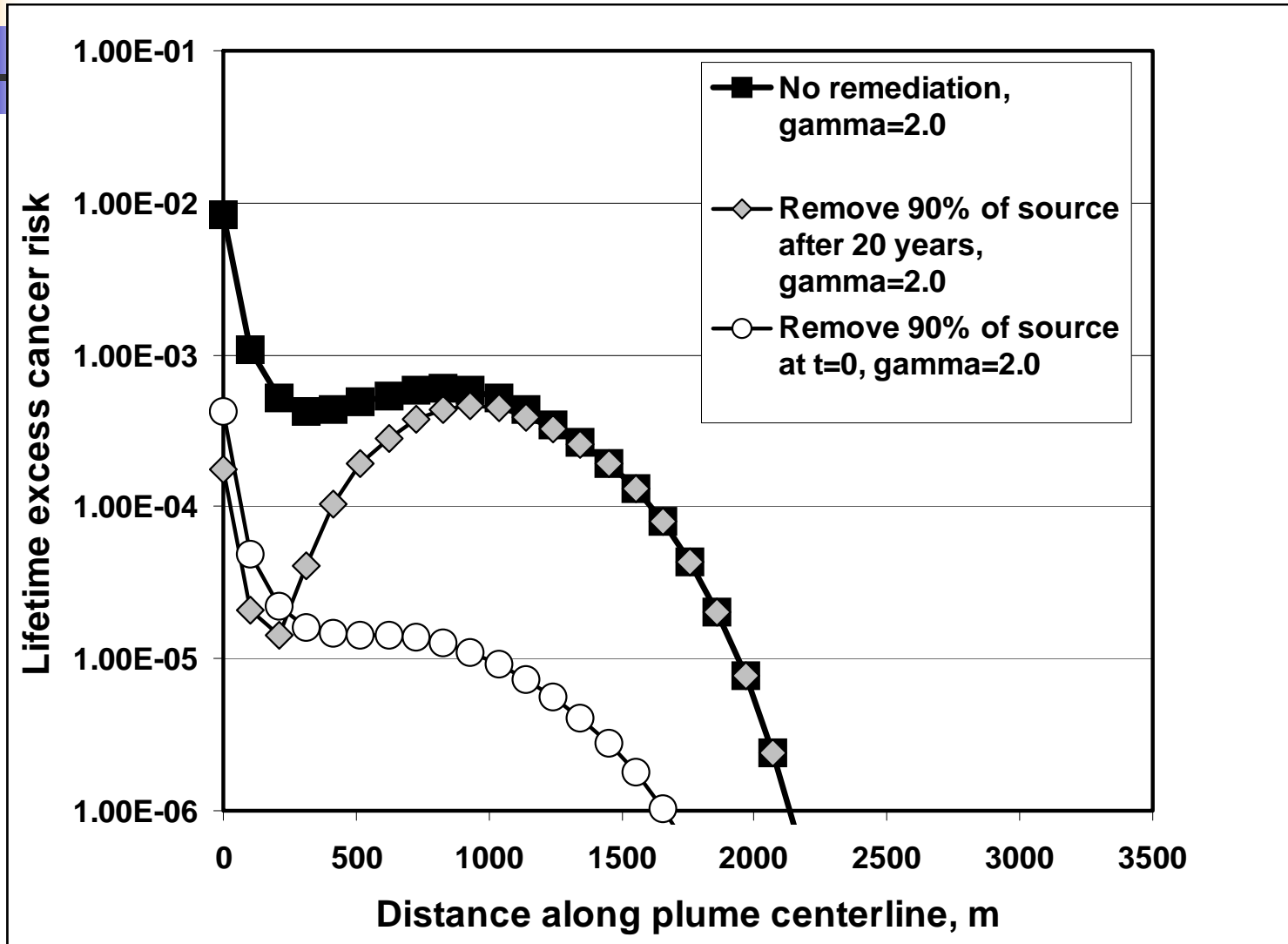
Compute chronic daily intake (CDI) of each carcinogen:

$$CDI_i = \frac{q_w}{mT_{life}} \int_{\max(0, t-T_{ex})}^t C_w^i(t) dt$$

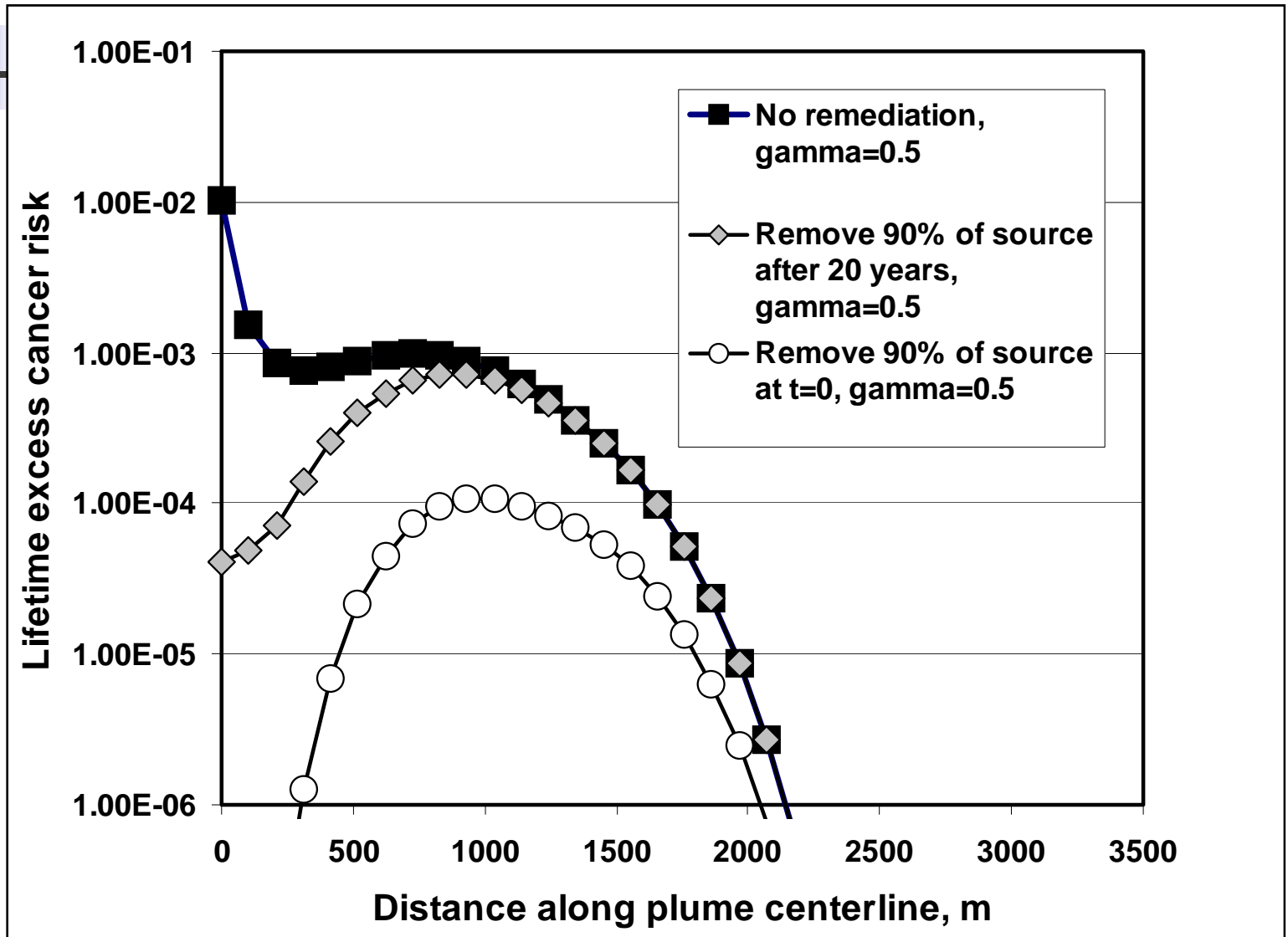
Where q_w is the daily water intake (2 l/d), m is the body mass (70 kg), T_{life} is the 70 year lifetime averaging period, t is the Time, T_{ex} is the length of the exposure period (30 years), and C_w is the concentration of the carcinogen in the well. The CDI is essentially the cumulative dose of carcinogen. With a cancer risk slope factor, SF , the cancer risk is then:

$$Risk_i = CDI_i \times SF_i \quad Risk_T = \sum Risk_i$$

$\Gamma = 2$ case, $t = 60$ years. Cancer risk is dominated by vinyl chloride except near source where PCE dominates



$\Gamma = 0.5$ case, $t = 60$ years. Cancer risk is dominated by vinyl chloride except near source where PCE dominates





Summary

- New analytical model shows impact of partial DNAPL source remediation. This is a screening-level model intended to show the leading order behavior
- Partial source remediation has a limited effect on plume length and longevity (as defined by a low MCL value)
- Partial source remediation has a large effect on the plume mass, especially if remediation occurs promptly after the release
- If the source remediation effort is prompt, potential health risks in the plume area are reduced by a large amount.
- If the source remediation effort is substantially delayed, the main health risk reduction occurs near the source, with little or no effect at the leading edge of the plume